

CAD FOR GEARS

Part 1

Spur, Helical and Double Helical Gears

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استخدام الحاسوب الآلي في تصميم المسباخ

ABSTRACT

The aim of this paper is to construct a software containing a complete design procedure and detailed drawing for spur, helical and double helical gears. This software can be executed on all the IBM personal computers XT/AT or compatibles. The main elements of the design in this program are : input data, type and shape of gear tooth system (IS, US, BS and DIN), module, minimum number of teeth to avoid interference, tooth profile modification, centre distance, contact ratio, face width, helix angle, material, equations for bending strength (Lewis, modified Lewis and Buckingham) and surface durability, and load carrying capacity for bending strength and surface durability using ISO, AGMA and BS equations with constant or variable tooth load. Many equations and practical formulae are selected for making the gear construction (integral gear, solid gear, gear with web, gear with web and holes, gear with arms, gear with two walls and composite gear).

With running the software, full specifications, geometry, kinematics, loads, stresses and detailed drawing of the gears are obtained according to the input data. Different examples are selected to show the variety of the output data and the strength of the software. Also these runs show the save in time and accuracy of the results.

NOMENCLATURE

English letters

a	centre distance, mm	b	dedendum, mm
CR	contact ratio	C_k	geometry factor for durability
C_m	durability load-distribution factor	C_p	coefficient for elastic properties of the materials used
C_a	application factor	c_f	factor
C_v	velocity factor	$d_{P,G}$	pitch diameter of pinion and wheel respectively, mm
d	pitch diameter of pinion or wheel, mm	e	measured error in action, mm
$E_{1,2}$	modulus of elasticity for pinion and wheel respectively, Kp/mm^2	h_k	addendum, mm
F	face width, mm	I	durability geometry factor
h_t	dedendum, mm	j	number of arms
J	bending geometry factor	$K_{F\beta}$	longitudinal load-distribution factor for bending stress
K_A	application factor	$K_{H\beta}$	transverse load-distribution factor for pitting
K_{Fa}	Transverse load-distribution factor for bending stress	k_f	fatigue stress-concentration factor
$K_{H\beta}$	longitudinal load-distribution factor for pitting	$k_{p,w}$	tooth correction factor for pinion and wheel respectively
k_p	pitch factor = $P^{0.8}$	K_v	dynamic factor
k_1	service factor	m	module, mm
k_2	form-factor coefficient	m_n	normal module, mm
L	hub length, mm	m_p	profile contact ratio
$m_{1,2}$	effective masses of the pinion and wheel respectively, slugs		

m_g	gear ratio	P	circular pitch, mm
P_d	diametral pitch	P_n	normal diametral pitch
P_t	transverse circular pitch, mm	r	pitch circle radius, mm
$R_{1,2}$	pitch circle radius of pinion and wheel respectively, mm	r_{ao}	edge radius, mm
$r_{a,b}$	addendum circle radius and base circle radius, mm	r_t	edge radius, in
S_{bo}	basic bending stress, lb/in ²	r_f	fillet radius, mm
S_{co}	basic surface stress, lb/in ²	S_t	calculated tensile stress at root tooth, lb/in ²
t	number of wheel teeth	T	number of teeth of pinion
T_b	blank temperature, °F	T_f	flash temperature, °F
V	tangential velocity, m/sec	U	number of wheel teeth/ number of pinion teeth
W_a	acceleration load, N	W_d	dynamic load, N
W_t	transmitted load, N	W_{tmax}	max. transmitted load, N
W_1	average force required to accelerate the masses, N	W_2	force required to deform the teeth through amount of effective error, N
W_w	limiting load for wear, N	x	tooth correction factor
$X_{1,2}$	tooth correction factor for pinion and wheel respectively	X_b	speed factor for strength
Y	form factor	X_c	speed factor for wear
Y_β	helix angle factor	Y'	strength factor
Y_s	stress-concentration factor (HPSTC)	Y_F	tooth form factor (HPSTC)
Y_{Fe}	tooth form factor (tip loading)	Y_{sa}	stress-concentration factor (tip loading)
Y_c	contact ratio factor	Z	minimum number of teeth
Z_E	coefficient for elastic properties of the materials used	$Z_{H,\beta,e}$	total durability geometry factor
Z'	zone factor	$Z_{1,2}$	number of pinion and wheel teeth
<i>Greek letters</i>			
α	pressure angle, (metric) deg	α_w	working pressure angle, deg
α_t	transverse pressure angle, deg	β	helix angle
λ	factor	ϕ	pressure angle (English), deg
σ_b	bending stress, N/mm ² (lb/in ²)	σ_e	endurance limits, N/mm ²
σ_{st}	surface endurance limits, N/mm ² (lb/in ²)	ρ_1, ρ_2	tooth radius of curvature of the pinion and wheel respectively, mm

INTRODUCTION

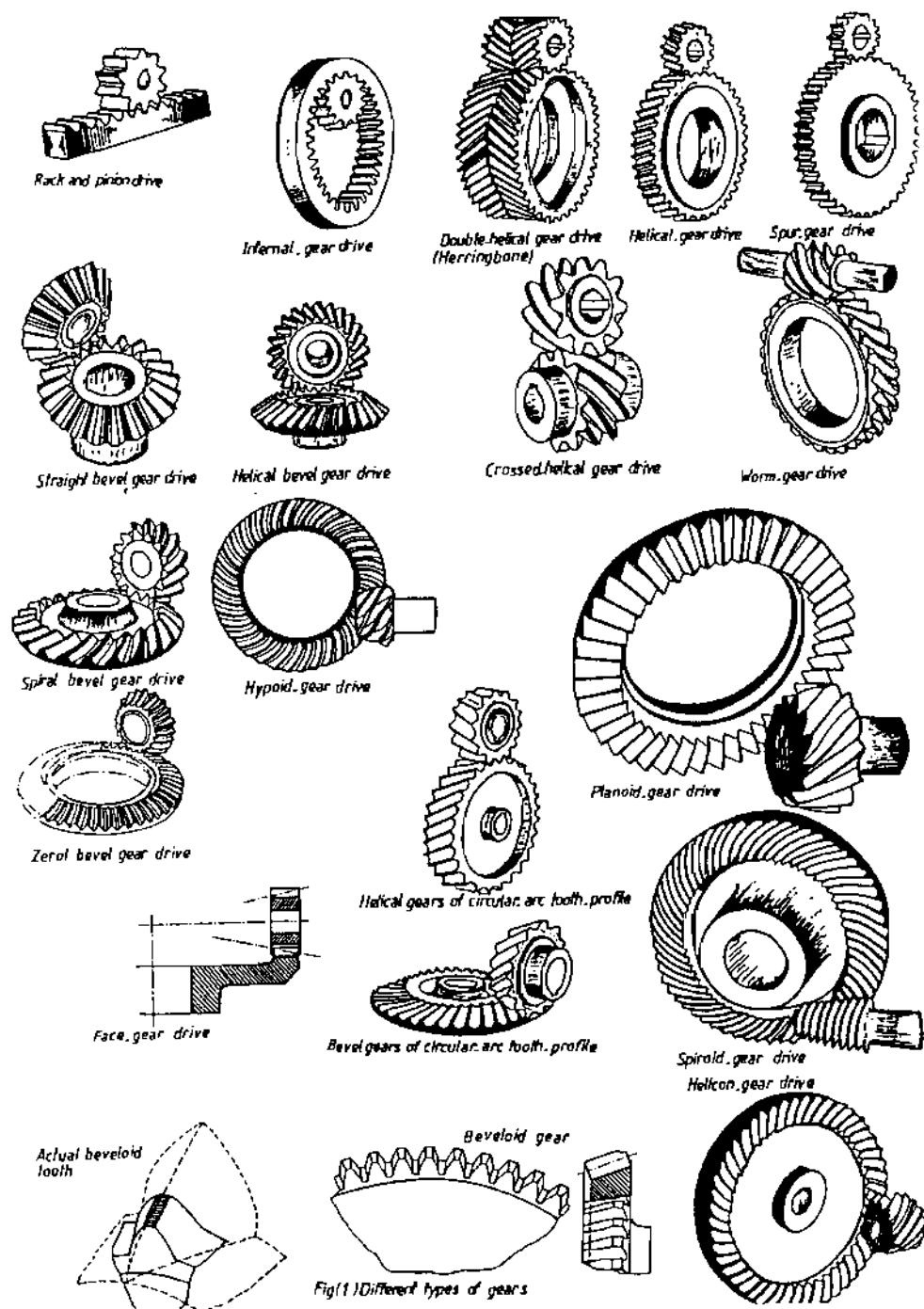
Gear drives are the most commonly used of all types of drives. They are used for parallel, intersecting, and crossed shafts, for the lowest to the highest horsepower, speeds, and overall speed ratios. They are distinguished for their slip-less force transmission, high reliability, long life, ability to take overloads, easy maintenance, compactness, and high efficiency, despite their higher price and somewhat higher noise level. Different types of gears are shown in Fig(1). These gears are generally categorized into three distinct types according to the types of shafts;

a- For parallel shafts, namely, spur gears (external and internal), helical gears (external and internal) and herringbone or double-helical gears (external and internal).

b- For intersecting shafts using bevel gears (straight, zero and spiral), face gears and beveloid gears.

c- For crossed shafts (non intersecting and/or non parallel) crossed helical gear, single and double-enveloping worm, hypoid gear, spiroid gear, planoid gear, beveloid gear, face gear and helicon gear.

In recent times, the gear design has become a highly complicated and comprehensive subject. Designer of a modern gear drive system must remember that the main objective of a gear drive is to transmit higher power with comparatively smaller overall dimensions of the driving system which can be constructed with minimum possible manufacturing cost, run reasonably free of noise and vibration, and require little maintenance. He has to satisfy, among others, the above conditions and design accordingly, so that the design is sound as well as economically viable.



The most important stresses which should be considered for the gear design are :

a- Stresses due to the bending of the tooth

b- Stresses created by contact pressure, generally known as Hertz stresses. Besides, gear failure by pitting and scoring are also considered.

The precise computation of gear capacity is an extremely difficult process since a large number of variables are involved such as gear cutting accuracy, mounting errors, elastic deflections, material quality, tooth stiffness, characteristics of connected machinery, and many others.

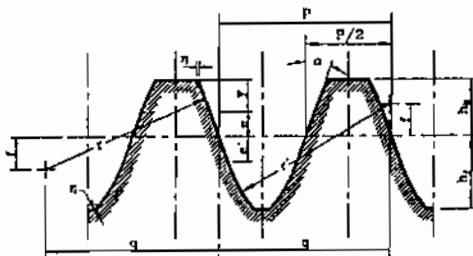
Due to the above problems, gear design is a complex and time-consuming task which must satisfy numerous design constraints. It is desirable to use CAD techniques to accomplish this task. Many investigators [1-6] have attempts for the gear tooth design using the computer, but to the author's knowledge there is no complete work that has been done on the gear design using CAD technique.

The aim of this work is to construct a software containing complete specifications, geometry, kinematics, loads, stresses and detailed drawing of spur, helical and double helical gears. The future steps (under preparation) are to construct softwares for bevel gears, worm and worm wheel, hypoid gears, face gears and gears of circular-arc tooth-profile.

DESIGN APPROACH

1- Types of Gear Tooth Systems

The reference profiles of the tooth (basic racks) of IS, US st., BS and DIN [7-14] are shown in table (1). Full depth 20° Involute system is the most widely used tooth system. This system alleviates the interference and undercutting problems and gives a stronger root section. Full depth 14.5° involute system gives a number of gear teeth which are large enough to avoid undercutting. Stub-tooth system reduces the interference problem and is of greater strength, lower cost and small sliding velocity, but the contact ratio is less than that for the full depth. This system gives better results when the pinion has less than 25 teeth.



Des.	Standards	Tooth system	α°	h/m	h/m	r/m	r/m	η/m	y/m
IS St.	IS:2535-1978	20° Full Depth Syst.	20	1.00	1.25	0.400	without	0.02	≤ 0.6
US St.	ASA-B 6.1/1932	14.5° Composite Syst.	14.5	1.00	1.157	0.209	3.7287	—	—
	ASA-B 6.1/1932	14.5° Full Depth Syst.	14.5	1.00	1.175	≥ 0.209	without	—	—
	ASA-B 6.1/1932	20° Full Depth Syst.	20	1.00	1.175	≥ 0.235	without	—	—
	ASA-B 6.1/1932	20° Stub Tooth Syst.	20	0.80	1.000	≥ 0.300	without	—	—
	ASA-B 6.7/1950	20° Fine Pitch Syst.	20	1.00	1.200	0.000	without	—	—
	AGMA 218.01	25° Full Depth Syst.	25	1.00	1.350	≥ 0.235	without	—	—
BS St.	BSS 436/1940	Class A 1	20	1.00	1.440	0.295	≥ 15.750	0.009	0.493
	BSS 436/1940	Classes A 2 and A	20	1.00	1.250	0.390	≥ 15.750	0.009	0.493
	BSS 436/1940	Classes C and D	20	1.00	1.250	0.390	≥ 12.875	0.019	0.628
DIN St.	DIN 887		20	1.00	1.1:1.3	0.200	without	—	—

$$q = 3.72783m, l = 0.56278m$$

Table (1) Reference profiles (basic racks) of IS, USA, British and DIN standards

2- Minimum Number of Teeth to Avoid Interference

Minimum number of teeth required of the pinion to avoid interference "under cutting" is a function of the pressure angle, tooth profile modification and gear reduction ratio according to the following equations [8,10,11] :

$$Z = 2/\sin^2 \alpha \quad (1)$$

$$Z = 2h_{lx}/m \cdot \sin^2 \alpha \quad \text{Metric} \quad \text{where } h_{lx} = h_l \cdot r_{ao}(1 - \sin \alpha) \quad (2-a)$$

$$N = 2xP_t/\sin^2 \phi \quad \text{English} \quad \text{where } x = b - r_t(1 - \sin \phi) \quad (2-b)$$

$$Z_1^2 + 2Z_1Z_2 + Z_2^2 = 4(1 + Z_2)/\sin^2 \alpha \quad \text{or} \quad (Z_1^2/Z_2) + 2Z_1 = (4/Z_2 \sin^2 \alpha) + (4/\sin^2 \alpha) \quad (3)$$

3- Tooth Profile Modification

According to the design aspects, there are two broad categories of the tooth profile modifications depending on the required design for changing or not changing the centre distance. For not changing the centre distance, the two components of the mating pair of gears receive numerically equal correction factors, but these two factors are algebraically of opposite signs. The pinion is provided with positive correction and the gear with negative correction. This type is also known as the "long and short addendum" system [11].

$$x = (Z_{min} - Z)/Z_{min} \quad , \quad x_1 + x_2 = 0 \quad (4)$$

New dimensions of the gearing system are as follows:

	Pinion	Wheel	
Tip circle diameter	$d_1 + 2m + 2x_1 m$	$d_2 + 2m - 2x_1 m$	(5)
Root circle diameter	$d_1 - 2(1.25 - x_1)m$	$d_2 - 2(1.25 + x_1)m$	(6)

Tooth thickness on the pitch circle	$(\pi m/2) + 2x_1 m \tan \alpha$	$(\pi m/2) - 2x_1 m \tan \alpha$	(7)
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For changing the centre distance the sum of the profile corrections of the two mating gears is not equal to zero. It is either positive or negative

$$x_1 + x_2 = (Z_1 + Z_2)(\operatorname{inv} \alpha_w - \operatorname{inv} \alpha)/(2 \tan \alpha) \quad (8)$$

$$\text{Actual centre distance, } a = m(Z_1 + Z_2) \cos \alpha / (2 \cos \alpha_w) \quad (9)$$

$$\text{Addendum modification, } y_m = m(Z_1 + Z_2)/2 + (x_1 m + x_2 m) - a \quad (10)$$

Also addendum modification of spur gears is given as follows according to [8,10]. When the tooth sum is equal to 60 or more, addendum coefficient of the pinion is

$$k_p = 0.4(1-t/T) \text{ with a minimum value of } k_p = 0.02(30-t) \text{ and } k_w = -k_p \quad (11)$$

When the tooth-sum is less than 60, the sum of the addendum coefficients is equal to

$$k_p + k_w = 0.02[60 - (T+t)] \text{ and } k_w = 0.02(30-T) \quad (12)$$

Another addendum modification of spur gear is given in table (2) according to [15].

Tooth ratio Z_1/Z_2	20° pressure angle		25° pressure angle	
	Pinion add.	Wheel add.	Pinion add.	Wheel add.
12/35	1.24	0.76	1.18	0.84
12/50	1.32	0.68	1.22	0.78
12/75	1.38	0.62	1.25	0.79
12/128	1.44	0.56	1.25	0.75
12/ ∞	1.48	0.52	1.25	0.75
16/35	1.15	0.85	1.10	0.90
16/50	1.22	0.78	1.15	0.85
16/75	1.27	0.73	1.18	0.82
16/125	1.32	0.68	1.21	0.79
16/ ∞	1.36	0.64	1.24	0.78
24/35	1.06	0.94	1.04	0.96
24/50	1.11	0.89	1.08	0.92
24/75	1.15	0.85	1.10	0.90
24/125	1.20	0.80	1.13	0.87
24/ ∞	1.24	0.76	1.16	0.84

Table (2) Long and short addendum for speed-reducing spur gears.

4- Contact Ratio

To ensure smooth and continuous running, the contact ratio CR must be as high as possible, which the limiting factors permit. Definite values are difficult to specify, a lower contact ratio

also necessitates a higher degree of accuracy in cutting.

$$\text{For spur gear, } CR = \frac{(r_{a_1}^2 - r_{b_1}^2)^{0.5} + (r_{a_2}^2 - r_{b_2}^2)^{0.5} - (a \sin\alpha)}{(\pi m \cos\alpha)} \quad (13)$$

$$\text{For a gear mating with a rack, } CR = \frac{(r_{a_1}^2 - r_{b_1}^2)^{0.5} - (r \sin\alpha) + (h_r / \sin\alpha)}{(\pi m \cos\alpha)} \quad (14)$$

Contact ratio for the helical gearing is the summation of the profile and face contact ratios as:

$$CR = \frac{(r_{a_1}^2 - r_{b_1}^2)^{0.5} + (r_{a_2}^2 - r_{b_2}^2)^{0.5} - (a \sin\alpha_1)}{P_1 \cos\alpha_1} + \frac{F \tan\beta}{P_1} \quad (15)$$

5- Face Width

Face width is a very important factor for designing and determining the load carrying capacity of the gears. Selection of this value depends on multi variables such as pitch diameter of the gear, module, centre distance, circular pitch and axial pitch. Relations between the face width and the above variables are written as follows:

a- Face width with pitch diameter:

Face width should not exceed twice pinion diameter

Face width should not be less than 1/10 wheel diameter

With rigid straddle mounting $F/d \leq 1.2$, With overhanging gears $F/d \leq 0.75$

b- Face width with centre distance:

$F = 0.5a$ for single step gearing

For double reduction gear box, $F_1 = a/3$ for the first step, $F_2 = 2F_1$, for the second step. The ratio F/a may however be taken the same for all the steps and the centre distances in geometric progression $a_1 : a_{11} : a_{111} = 100 : 125 : 160$

c- Face width with circular pitch:

$F = c_1 P$, c_1 should not exceed 5 or 6 except for profile group and shaved gears where c_1 may be as much as 8.

d- Face width with axial pitch:

Face width should be at least twice the axial pitch.

e- Face width with module:

$F_{max} = \lambda m$, λ depends on the surface finish of the gear tooth and type of bearing carrying the gear shaft;

$\lambda = 10$ for cast clean, smooth tooth and bearing fitted on steel construction

For machined smooth or ground tooth;

$\lambda = 15$ bearing is fitted on steel construction

$\lambda = 15$ bearing with overhung pinion

$\lambda = 25$ bearing is fitted in gear box casing

$\lambda = 30$ bearing with rigid base using shaft with sufficient stiffness.

Normally, the width of the pinion is made 3 to 4 mm greater than of the wheel to ensure complete engagement during service.

6- Helix Angle

The helix angle is an important criterion of the design of helical gears as the gear dimensions, centre distance of drive and thrust forces depend on its magnitude and orientation. Hence, helix angle can be calculated from the equation

$$\beta = \tan^{-1} \left(\frac{P_1}{1.15 F} \right) \quad (16)$$

For normal application helix angle ranging from 8° to 20° . Helix angle should not cross 30° to avoid a large resultant axial thrust.

Double helix gears have helix angles that typically range from 30° through 45° . Although higher helix angles provide smoother operations, the tooth strength is lower.

7- Design of Gear Tooth According to Bending Strength

Gear tooth design according to bending strength is divided into three steps using Lewis, modified Lewis and Buckingham equations as follows :-

$$- \text{Lewis Equation, } \sigma_b = W_t / (F m Y) \quad (17)$$

$$Y = \pi(0.124 - 0.684/Z) \text{ For } 14.5^\circ \text{ composite and Full depth Involute system}$$

$$Y = \pi(0.154 - 0.912/Z) \text{ For } 20^\circ \text{ Full depth involute system}$$

$$Y = \pi(0.175 - 0.841/Z) \text{ For } 20^\circ \text{ stub system}$$

In helical gears, the virtual number of teeth must be used to determine the form factor Y.

$$Z_v = Z/\cos^3\beta$$

- Modified Lewis equation,

$$W_{t_{max}} = \frac{F.m.K_2.Y.C_v}{K_1.K_1} \sigma_s \quad \text{For spur gear} \quad (18-a)$$

$$W_{t_{max}} = \frac{F.m.Y.C_v}{K_1.K_1.m_p} \sigma_s \quad \text{For helical gear} \quad (18-b)$$

$$K_1 = 0.18 + (t/r)^{0.15} (t/L)^{0.45} \text{ For } 20^\circ \text{ Involute teeth}$$

$$K_1 = 0.22 + (t/r)^{0.20} (t/L)^{0.40} \text{ For } 14.5^\circ \text{ Involute teeth}$$

$$K_1 = 1.25 \text{ For steady loads, } 1.35 \text{ For pulsating loads, and } 1.50 \text{ for shock loads.}$$

$$K_2 = 1.7 \text{ For full-depth teeth, } 1.6 \text{ For stub teeth}$$

$$C_v = 3/(3+V), V \text{ up to } 12.5 \text{ m/sec, ordinary cut gears}$$

$$C_v = 4.5/(4.5+V), V \text{ up to } 12.5 \text{ m/sec, carefully cut gears}$$

$$C_v = 6/(6+V), V \text{ up to } 20 \text{ m/sec, very accurately cut and ground metallic gears}$$

$$C_v = 0.75/(0.75+\sqrt{V}), V \text{ up to } 20 \text{ m/sec, precision cut gears with high accuracy}$$

$$C_v = (0.75/(1+V)) + 0.25 \text{ non-metallic gears}$$

- Buckingham Equation, $W_d = W_1 + \sqrt{W_a(2W_2 - W_a)}$ (19)

$$W_a = \frac{W_1.W_2}{(W_1+W_2)} \quad (20)$$

$$W_1 = \frac{c_1 m_1 m_2}{(m_1+m_2)} (\nu_{E_1} + \nu_{E_2}) V^2, \quad W_2 = \frac{F.d}{c_2(\nu_{E_1} + \nu_{E_2})} + W_t \quad \text{For spur gear}$$

$$W_1 = \frac{c_1 m_1 m_2}{(m_1+m_2)} (\nu_{E_1} + \nu_{E_2}) V^2 \cos^2\beta, \quad W_2 = \frac{F.d}{c_2(\nu_{E_1} + \nu_{E_2})} \cos^2\beta + W_t \quad \text{For helical gear}$$

$$C_1 = 0.00086 \text{ For } 14.5^\circ \text{ gears, } 0.00120 \text{ For } 20^\circ \text{ gears}$$

$$C_2 = 9.345 \text{ For } 14.5^\circ \text{ gears, } 9.000 \text{ For } 20^\circ \text{ Full-depth gears, } 8.700 \text{ For } 20^\circ \text{ stub gears}$$

8. Design of Gear Tooth According to Surface Failure

Design of gear tooth according to surface failure is done using the following equations :-

- Limiting load for wear :-

$$W_w = \frac{1.43 F d_p d_G}{(d_p + d_G)} (\nu_{E_1} + \nu_{E_2}) \sigma_{es}^2 \sin\alpha \quad \text{For spur gear} \quad (20)$$

$$W_w = \frac{1.43 F d_p d_G}{(d_p + d_G) \cos^2\beta} (\nu_{E_1} + \nu_{E_2}) \sigma_{es}^2 \sin\alpha \quad \text{For helical gear} \quad (21)$$

$$\text{- Contact stress for spur gear; } S_c = \sqrt{\frac{0.7}{(1/E_1 + 1/E_2) \cos\phi \sin\phi}} \sqrt{\frac{W_1 (m_G + 1)}{F d_m m_G}} \quad (22)$$

$$\text{- Contact stress for helical gear; } S_c = \sqrt{\frac{0.7 \cos^2\beta}{m_p (1/E_1 + 1/E_2) \cos\phi \sin\phi}} \sqrt{\frac{W_1 (m_G + 1)}{F d_m m_o}} \quad (23)$$

$$\text{- Scoring-criterion number} = \left(\frac{W_1}{F}\right)^{0.75} z_p^{0.5} m^{0.25} \quad (24)$$

$$\text{- Flash temperature; } T_f = T_b + 0.0175 \left(\frac{W_1}{F}\right)^{0.75} z_p^{0.5} \frac{\{ \sqrt{\rho_1} + \sqrt{\rho_2/m_G} \}}{(\cos\phi)^{0.75} [\rho_1 \rho_2 / (\rho_1 + \rho_2)]^{0.25}} \quad (25)$$

9. Design According to Load Carrying Capacity

After the gear-tooth data have been calculated, it is necessary to calculate the capacity of the gearset. Since the design started from an estimate, it may be that the first design which is

worked out in detail is too small or too large. Once all the gear-tooth data have been calculated, it is possible to use design formulae to determine a rated capacity of the gearset. This rated capacity should be larger than the actual load which will be applied to the gearset. Complete form of AGMA, ISO [15] and BS [8] gear rating formulae for bending strength and surface durability are used and given as follows :

- Total rating stress in bending:

$$S_t = \frac{W_t K_a P_n}{K_u F} K_m \frac{\cos \psi}{J} \quad \text{AGMA} \quad (26)$$

$$\sigma_F = \frac{W_t}{F m_n} Y_F Y_s Y_\beta K_A K_v K_{F\beta} K_{F\alpha} \quad \text{for load at HPSTC} \quad \text{ISO} \quad (27)$$

$$\sigma_F = \frac{W_t}{F m_n} Y_{Fa} Y_{sa} Y_e Y_\beta K_A K_v K_{F\beta} K_{F\alpha} \quad \text{for load at tip of tooth} \quad \text{ISO} \quad (28)$$

Total rating stress for surface durability:

$$S_c = C_p \left(\frac{W_t C_a C_m 0.5}{d F I C_v} \right) \quad \text{AGMA} \quad (29)$$

$$\sigma_H = Z_E \left(W_t K_A \frac{(U+1)}{d F U} K_v K_{H\alpha} K_{H\beta} \right)^{0.5} (Z_H Z_\beta Z_e) \quad \text{ISO} \quad (30)$$

British standard rating formulae:

$$W_t = S_{bo} Y X_b / P \quad \text{For the strength rating,} \quad (31)$$

$$W_t = S_{co} Z X_c / K_p \quad \text{For the wear rating} \quad (32)$$

Horse-power formulae at normal rating

$$\text{Pinion, strength ; h.p.} = \frac{S_{bop} X_{bp} Y_p t.n.F}{126000 P^2} \quad (33)$$

$$\text{Wheel, strength ; h.p.} = \frac{S_{bow} X_{bw} Y_w T.N.F}{126000 P^2} \quad (34)$$

$$\text{Pinion, wear ; h.p.} = \frac{S_{cop} X_{cp} Z_i.t.n.F}{126000 P.K_p} \quad (35)$$

$$\text{Wheel, wear; h.p.} = \frac{S_{cow} X_{cw} Z.T.N.F}{126000 P.K_p} \quad (36)$$

For variable Loading:

Duration other than 12 hours per day, torque and speed are constant.

normal rating = actual load x "running time factor". $K_u = \sqrt[7]{U_{12}}$ for strength . $K_u = \sqrt[3]{U_{12}}$ for wear

For variable torque and/or speeds:

U_1 hours at maximum torque M_1 and speed N_1 . U_2 hours at a torque M_2 and speed N_2 . U_3 hours at a torque M_3 and speed N_3 ...

The equivalent running time U_e is given by :

$$U_e = U_1 + U_2 (N_2 N_1) (M_2 M_1)^3 + U_3 (N_3 N_1) (M_3 M_1)^3 + \dots \quad (37)$$

The rating formulae for gear tooth strength and gear surface durability have become very long and difficult in use. Short and simple formulae of AGMA and ISO are used with or without the exact formulas according to the selected condition of the design.

Strength formula :

$$S_t = K_t U_t K_d \quad \text{N/mm}^2 \quad \text{or} \quad \text{psi} \quad (38)$$

K_t geometry factor for bending strength = $c \cdot \cos \beta / J$

U_t unit load, index for tooth breakage = $W_t / (F m_n)$ N/mm^2 or $(W_t P_n) / F$ psi

K_d overall derating for bending strength = $(K_a K_m K_s) / K_v$ Metric or English

Durability formula:

$$S_c = C_k (K_c D)^{0.5} \quad \text{N/mm}^2 \quad \text{or} \quad \text{psi} \quad (39)$$

C_k geometry factor for durability = $c \cdot [(mg + 1) / l \cdot mg]^{0.5}$

$K = k$ factor, index for pitting

$$= W_t(U+1)/(U.F.d_{p_1}) \quad \text{metric} \quad \text{or} \quad = W_t(m_G+1)/(F.d.m_G) \quad \text{English}$$

$$C_d = \text{Overall derating for durability} \quad = C_a C_m C_s / C_v \quad \text{Metric or English}$$

10- Gear Construction

Gear construction depends upon the size, material, stress analysis, method and accuracy of manufacturing, type of application, operational parameters, type and technique of heat treatment and cost. Different types of gear constructions are given as follows [16-21] and shown in Fig(2).

10-1 *Integer Gear*; Fig(2-a): this type is used in the case of $d < 2d_1$, or if $d_2 - d_1 = 3m$

10-2 *Solid Gear*; Fig(2-b): this type is used in the case of $2d_1 < d < (14.75m + 60mm)$ or $d \leq 4.7P_c + 2.35$ in

10-3 *Gear with Web*; Fig(2-c): this type is used for $d < 250$ mm or $d \leq 7.5 P_c + 3.35$ in, $t = 1.75m$ or $t = 0.5P_c + 0.125$ in, $m_1 = \sqrt{0.221.2/P_d}$ in. $d_5 = d_3 - 10m$
hub diameter and length are given

Type of service	Diameter, d_4		Length, L
	Cast Iron	Steel	
Light load, no shock	$1.75d_1$	$1.8d_1$	$L \geq 1.50d_1$
Medium load and shock	$1.85d_1$	$1.7d_1$	$L \geq 1.75d_1$
Heavy load and shock	$2.00d_1$	$1.8d_1$	$L \geq 2.00d_1$

10-4 *Gear with Web and Holes*; Fig(2-d) this type is used for $d \geq 250$ mm, $d_4 = 1.6d_1$, $d_6 = (d_3 + d_4)/2$, $d_7 = (d_5 - d_4)/2$, $t = 0.3F$, $m_1 > 1.5m$, $N = 3$ for $d_7 < 40$ mm, $N = 4$ for $d_7 < 100$ mm, $N = 6$ for $d_7 < 180$ mm.

10-5 *Gear with Arms*; Fig(2-e) this type is used for $d > 400$ mm. Fig(2-f) shows the different cross sections of the arms. Fig(2-g) shows the cast wheels at $d \leq 1000$ mm, $F < 200$ mm and Fig(2-h) shows the wheel at $d > 1000$ mm and $F > 200$ mm. $t_r = 1.6m$ to $2m$ or $(0.5P_c - 0.6P_d)$ in, the rim should be taper at the rate of about one inch per ft. toward the centre or $t_r = 1/d_3^3 \sqrt{Z_{1,2}/2}$, $q = t_r$, $f = (1/7$ to $1/8)$ $d^{0.5}$ mm = 4 to 8, $h_1 = 8m$ to $11m$, $h_2 = 6.5m$ to $9m$ or $h_1 = 0.8d_1$, $h_2 = 0.8h_1$, $c = 0.2h_1$ (but $< 10mm$), $s = 0.8c$, $e = 0.2d_1$, $K = 0.8e$, $r = 10mm$ $R \geq 0.5h_1$.

The required section modulus of the arm at its centre, $Z = W_t d / 2j \sigma_b$ all.
10-6 *Gear with Two-walls*; this type is shown in Fig(2-i), dimensions are in inches. $A = d_3/80$, $B = 0.4 + 0.2d_1$, $C = 0.25 + 0.6P_n(1 + Z/1000)$. d_1 = largest of the three quantities $\{F/2$, $0.3(d_3^2 F)^{1/3}$, $0.18\sqrt{3\text{torque lb.in}}$, F_1 = largest of the three quantities $\{ (d_3 - 1.7d_1)/40$, $0.25 + F/20$, $0.25 + d_1/40 \}$, $G = 0.13 + 0.3P_n$ or $F/8$ whichever is less, $J_1 = [0.5d_3 - 0.5d_1 - h_1 - B - C - 2M_2]$, $K = F - 2G - 2F_1$, $M_2 = 0.1 + d_3/500$

10-7 *Composite Gear*; this type is shown in Fig(2-j,k), the wheel centre is made of cast iron and the rim is made of steel or alloy steel.

FLOW CHART AND COMPUTER PROGRAM

Construction of the software containing design and drawing of spur, helical and double helical gears covers all requirements of the designers and users of the gears. These requirements are divided and specified into the following:

- 1- Experience and expertise of the user is not efficient, and the available data are not enough. For example, available data are transmitted power, input and output speeds. Complete calculations, selections and checks are done for running the program automatically without interface with the software to obtain the safe design and drawing of the gears according to the flow chart shown in Fig(3).
- 2- Experience and expertise of the user is efficient, some items are selected or assumed such as module and/or material, type of gear and helix angle. This facility gives minimum running time of the program and minimum cost for the design.
- 3- Improving the design and performance of the gear in service or old design by feeding the software with some information. The program calculates the new required dimensions, specifications and new drawings.

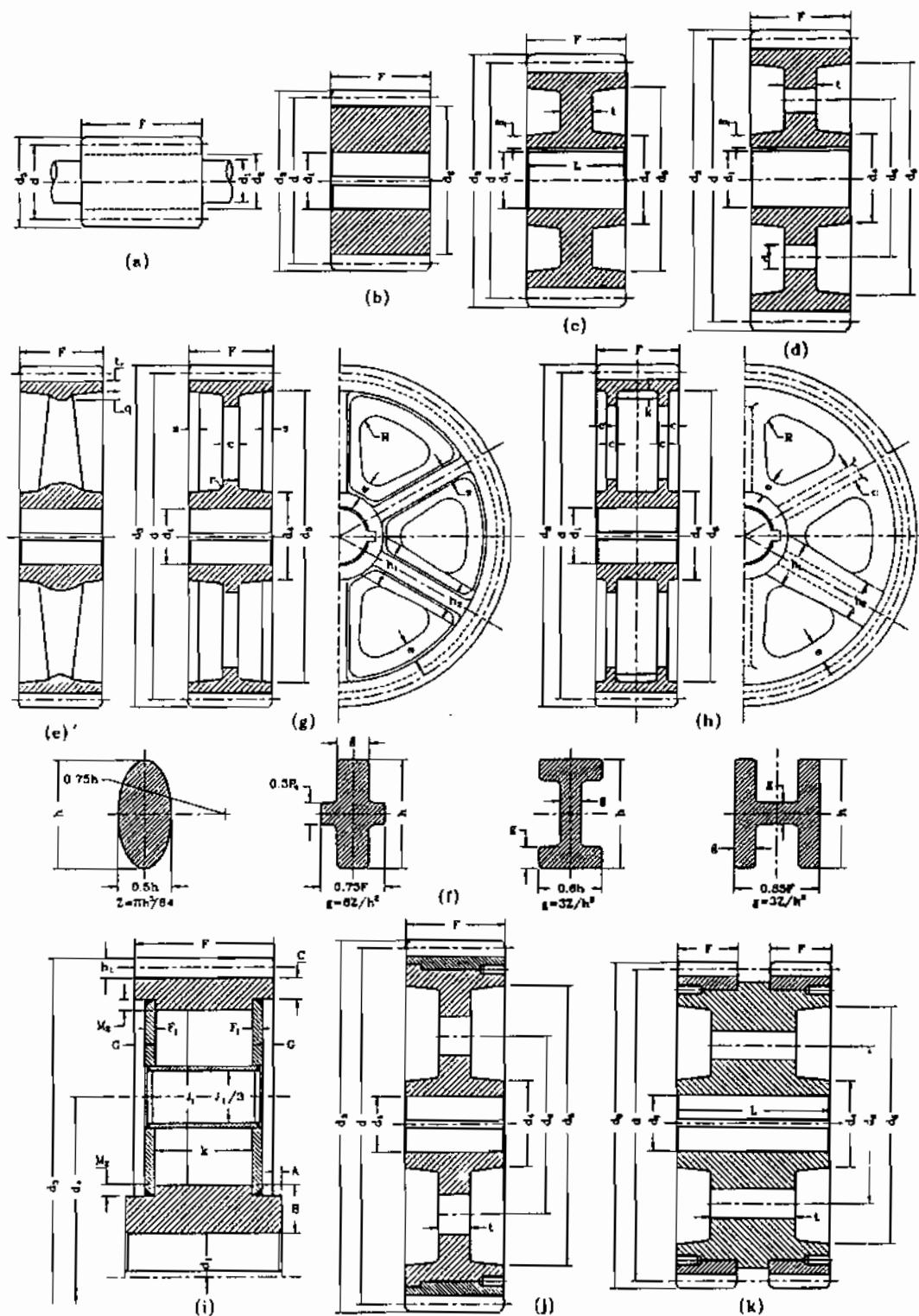


Fig.(2) Different types of gear constructions.

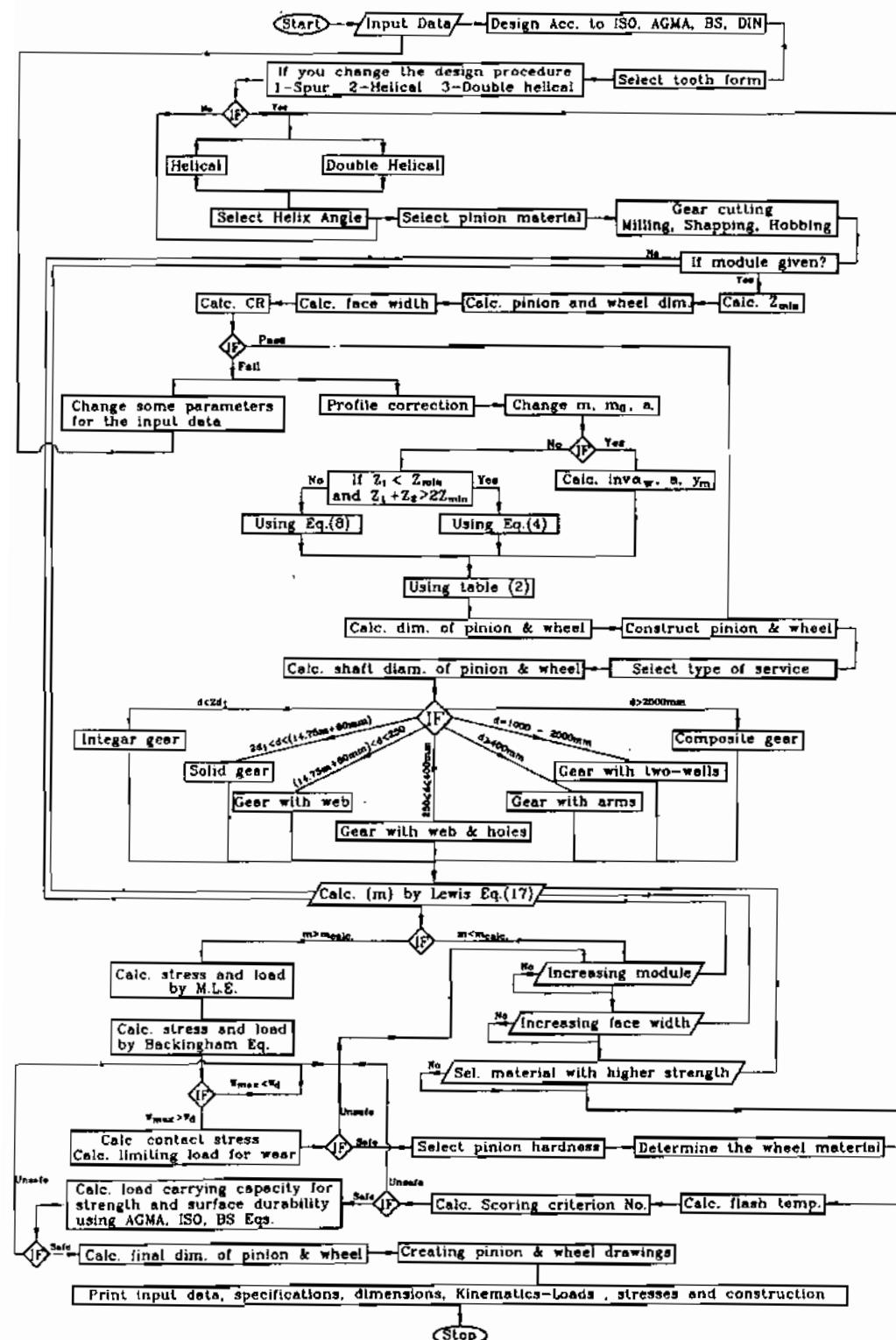


Fig.(3) Flow chart.

- 4- Obtaining the specifications and the dimensions of the gear to manufacture a new gear instead of an old one broken in service.

The program is written in Turbo Basic Language [22]. The compiler of the program with Turbo Basic gives an executable file to run on the Dos prompt. The program has created and constructed automatically two files which include all information on designing and drawing the gear. Types of these files are the DXF file and SCR file. The DXF and SCR files format are familiar with AutoCAD program [23,24]. By the (DXFin) command, the drawing can be generated on the screen.

This software can be executed on all the IBM personal computers XT/AT or compatibles with 640 KB RAM, Math. Co-processor and 10 MB hard disk.

Fig(4) shows the different menus of the software. For example input power=25 Kw, speed=1500 rpm, number of pinion teeth=20 and gear ratio=4.

COMPUTATIONAL RESULTS AND DISCUSSION

Complete output of any run is divided into three items:

1. Specifications and geometry,
2. Kinematics, loads and stresses,
3. Pinion and wheel constructions with the required partial views.

The specifications, geometry, kinematics, loads, stresses, pinion and wheel constructions of 25Kw and 1500 rpm input data are shown in table (3,4) and Fig.(5); those of 50 Kw and 2000rpm input data are shown in table (5,6) and Fig.(6) and those of 100 Kw and 3000 rpm input data table (7,8) and Fig.(7).

From these tables and figures, it is clear that the variety of output results according to the input data. Spur gear are given for the smallest power. For Increasing power and speed helical gears are given. For more increasing power and speed double helical gears are given.

Tables (9,10) and Fig(6) show the specifications, geometry, kinematics, loads, stresses, pinion and wheel constructions of 25 Kw, 1500 rpm and 250 mm centre distance input data. These results show that, when using fixed centre distance, the program calculates automatically minimum number of teeth to avoid interference and profile correction is made to give this centre distance (250 mm).

CONCLUSION

It is possible to construct a software containing a complete design and make a detailed drawing of spur, helical and double helical gears. This software can be executed on all the IBM personal computers XT/AT or compatibles. A complete design and a detailed drawing of the gear can be obtained according to the input power and speed, generally speaking, or entering some information to get a special design of the gear such as dimensions, material, manufacturing process and heat treatment. They can also be used for redesign the gear to improve its performance or life.

By using this software, the results show that:

- 1- Obtaining a remarkably high degree of accuracy in the calculated dimensions and drawing.
- 2- Safe design is obtained for all point of view due to using multi equations and different techniques for checking all design procedures.
- 3- Overcoming the problems of experience and expertise for the designers.
- 4- Saving time.
- 5- Minimum cost of the design.

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- 1- Tong, B. S. and Walton, D. "A Computer Design Aid for Internal Spur and Helical Gears", Int. J. Mach. Tools Manufact., Vol. 27, No.4, pp 479-489, 1987.
- 2- Smith, S. A., Noorani, R. I. and Ghazavi, A. "Computer-Aided Design of a Compound Gear Train", Computers in Mechanical Engineering, May 1987, pp 53-58.
- 3- Paquet, R. M., "Plastics Gearing Software Program", Computers in Mechanical Engineering, May/June, 1988, pp 24-29.
- 4- Zarelar, H. and Lawley, T. J., "Computer-Aided Spur Gear Tooth Design: An Application Driven Approach". Proc. of the 1989 Int. Power Transmission and Gearing Conf. ASMA, April 25-28, Chicago, Illinois, USA, pp 107-110.
- 5- Huston, R. L., Movriplis, D. and Oswald, F. B., "Computer Aided Design of Spur Gear Teeth".

INPUT DATA

- 1- Power Transmitted (kW)
- 2- Input Speed (rpm)
- 3- Output Speed (rpm)
- 4- Number of Pinion Teeth
- 5- Number of Wheel Teeth
- 6- Gear Ratio
- 7- Module
- 8- Diametral Pitch
- 9- Centre Distance
- 10- Exit Input Data

(Press Enter) when do you want enter value?

menu (1)

SELECT TYPE OF GEAR

- 1- Spur Gear
- 2- Helical Gear
- 3- Double Helical Gear
- 4- Print Edit Data

ESC=Exit

menu (5)

DESIGN DATA

- Power Transmitted = 25 kW
- Input Speed = 1500 rpm
- Number of Pinion Teeth = 20
- Gear Ratio = 4

Press any Key to Continue

menu (2)

GEAR CUTTING

- 1- Ordinary Commercial-cut Gears
- 2- Carefully Cut Gears (Shaping)
- 3- Carefully Cut Gears (Hobbing)
- 4- Highest-accuracy Gears
- 5- Non-metallic Gears

ESC=Exit

menu (6)

GEAR TOOTH SYSTEM

- AGMA Standard
 - British Standard
 - ISO Standard
 - DIN 867 Standard

ESC=Exit

menu (3)

GEAR MATERIALS

- a- Ferrous Gear Materials
- b- Non-ferrous Gear Materials
- c- Plastic Gear Materials

ESC=Exit

menu (7)

AGMA STANDARD

- ASA-B 6.1/1932 (14.5° Composite Syst.)
- ASA-B 6.1/1932 (14.5° Full Depth Syst.)
- ASA-B 6.1/1932 (20° Full Depth Syst.)
- ASA-B 6.1/1932 (20° Stub Tooth Syst.)
- ASA-B 6.7/1950 (20° Fine Pitch Syst.)
- ASA-B 6.7/1950 (25° Full Depth Syst.)

ESC=Exit

menu (4)

GEAR MATERIALS

- a- Ferrous Gear Materials
- b- Non-ferrous Gear Materials
- c- Plastic Gear Materials

Ferrous Gear Materials

- a- Steel
 - Cast Iron
 - Ductile Iron

ESC=Exit

menu (8)

STEELS			
Material	Carbon	BHN	σ _s (psi)
- Steel AISI 1020	0.2%	180	89000
- Steel AISI 1040	0.4%	200	99000
...	...	350	123000
- AISI 4140	0.4%	200	95000
...	...	350	176000
- AISI 4340	0.4%	220	160000
...	...	300	175000
- AISI 1660	0.6%	350	175000
...	...	550	275000

GEAR CONSTRUCTION

- 1- Pinion
- 2- Wheel

TYPE OF SERVICE

- 1- Light Load, no shock
- 2- Medium Load and shock
- 3- Heavy Load and shock

ESC=Exit

menu (9)

menu (13)

Gear Materials

- Pinion is made of AISI 4340
- Wheel is made of the same material ?(Y/M)

Pinion Construction (type and dimensions)

- Type of construction Solid gear
- Pitch circle diameter of pinion = 116.000 mm
- Diam. of the pinion shaft = 42
- Face width of the pinion = 82.500

Press any key to continue

menu (10)

menu (14)

Specification	Pinion	Gear
Number of teeth	20	99
Addendum	5.500	5.500
Addendum	4.463	4.463
Working depth	11.000	11.000
Module depth	11.500	11.500
Circular pitch	17.779	17.779
Tooth thickness	6.629	6.629
Tooth profile radius	1.291	1.291
Clearance	8.382	8.382
Face width	29	29
Contact angle	1.831	1.831
Contact ratio	110.000	110.000
Pitch circle diameter	121.000	121.000
Add. circle diameter	121.500	121.500
Root circle diameter	77.875	77.875
Base circle diameter	103.36	103.36
Face width	92.500	92.500
Centre distance	275	275

menu (11)

menu (15)

GEAR CONSTRUCTION

- 1- Pinion
- 2- Wheel

ESC=Exit

GEAR CONSTRUCTION

- 1- Pinion
- 2- Wheel

TYPE OF SERVICE

- 1- Light Load, no shock
- 2- Medium Load and shock
- 3- Heavy Load and shock

ESC=Exit

menu (12)

menu (16)

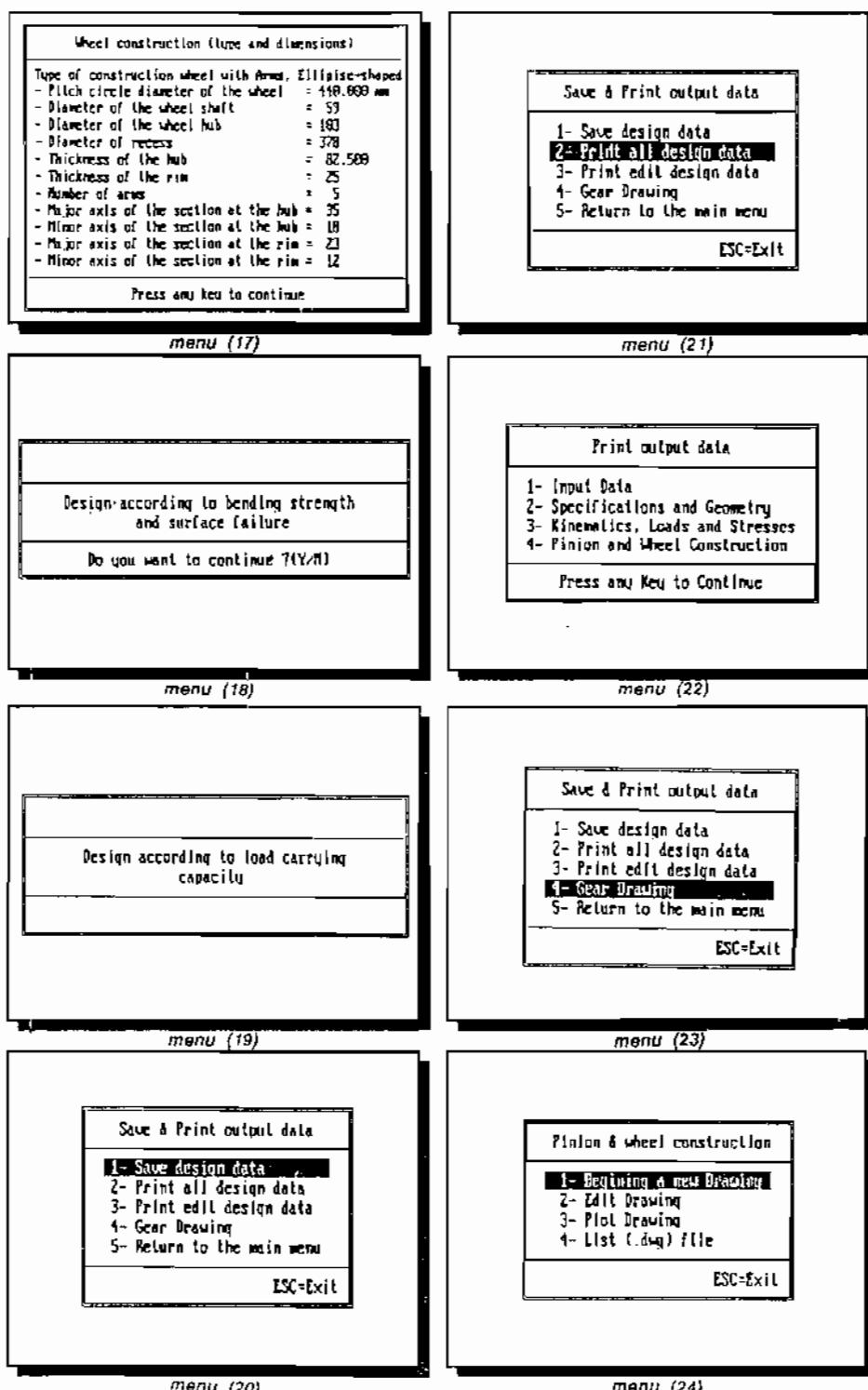


Fig.(4) Different menus of software for run of 25 Kw, 1500 rpm power and speed respectively.

Input Data		
- Power, Kw	= 25	
- Input speed, rpm	= 1500	
- Number of pinion teeth	= 20	
- Gear ratio	= 4.000	
- Design according to "AGMA"		

Output Data		
1- Specifications and Geometry		
2- Kinematics, Loads and Stresses		
3- Gear Construction		

1- Specifications And Geometry		
Specifications & Geometry	Pinion	Wheel
<< Spur Gear >>		
- Material	AISI 4340	N821 4340
- Number of teeth	20	80
- Addendum, mm	5.500	5.500
- Dedendum, mm	8.453	8.462
- Working depth, mm	11.000	11.000
- Whole depth, mm	11.962	11.962
- Tooth thickness, mm	8.639	8.629
- Face width, mm	82.500	78.5
- Pitch circle diam., mm	110.000	440.000
- Add. circle diam., mm	121.000	451.000
- Root circle diam., mm	97.075	427.075
- Base circle diam., mm	103.386	413.386
- Profile correction, mm	-	-
- Module, mm	5.5	5.5
- Circular pitch, mm	17.279	17.279
- Base Circular pitch, mm	16.237	16.237
- Fillet radius, mm	1.293	1.293
- Clearance, mm	0.952	0.952
- Backlash, mm	.1975	.1975
- Contact ratio	1.691	1.691
- Gear ratio	4.000	4.000
- Pressure angle	20°	20°
- Working pressure angle	20° 00'	20° 00'
- Centre distance, mm	275.000	275.000
- St. (ASA-81), 20° Full Depth Tooth System		

2- Kinematics-Loads and Stresses		
- Speed for pinion & wheel, rpm = 1500	= 375	
- Pitch Line velocity, m/sec	= 8.639	
- Ten. Rad. & Nor. load, N =	3896, 1054,	3081
- Calc. module Acc. to L.E.	3.69 < 5.5 Safe	
- Tang. load Acc. to L.E., N	= 15298	
- Teng. load Acc. to M.L.E., N	= 33737	
- Dynamic load Acc. to Buckingham, N	= 16873	
- Limiting load for wear, N	= 28763	
- U.T.S., N/mm ² (lb/in ²)	= 1207 (175000)	
- All. Tensile strength, N/mm ² (lb/in ²)	= 402 (5832)	
- All. surface strength, N/mm ² (lb/in ²)	= 32146666	
- Calc. bending stress Acc. L.E., N/mm ²	= 43	
- Calc. ... Acc. M.L.E., N/mm ²	= 166	
- Calc. contact stress, N/mm ²	= 292	
- ** AGMA **		
- Tooth Bending stress, (S.V.) lb/in ²	= 11757	
- .. . (E.V.) lb/in ²	= 7838	
- Tooth-Surface Durability, (S.V.) lb/in ²	= 32192	
- .. . (E.V.) lb/in ²	= 26205	
- ** ISO **		
- Tooth Bending stress, (S.V.) N/mm ²	= 81	
- .. . (E.V.) N/mm ²	= 14	
- Tooth-Surface Durability, (S.V.) N/mm ²	= 222	
- .. . (E.V.) N/mm ²	= 122	
- ** British **		
- Tooth Bending stress, Ib/in ²	= 2096	
- Tooth Surface stress for wear, lb/in ²	= 2995	
- Scoring-Criterior number	= 365	
- Flank Temperature, °F	= 104.021	

Table (4) Kinematics, loads and stresses of gears for 25 Kw and 1500 rpm power and speed respectively.

Table (3) specification and geometry of pinion and wheel for 25 Kw, 1500 rpm power and speed respectively.

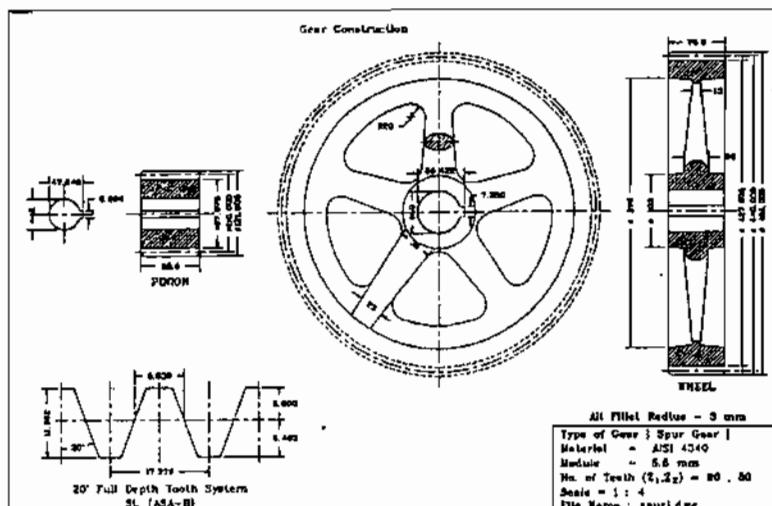


Fig.(5) Construction drawing of pinion and wheel for 25 kw, 1500 rpm power and speed respectively

Input Data	
- Power, Kw	- 50
- Input speed, rpm	- 2000
- Number of pinion teeth	- 20
- Gear ratio	- 4.000
- Design according to "AGMA"	

Output Data	
1- Specifications and Geometry	
2- Kinematics, Loads and Stresses	
3- Gear Construction	

1- Specifications and Geometry		
Specifications & Geometry	Pinion	Wheel
'C Helical Gear >>		
- Material	AISI 4340	AISI 4340
- Number of teeth	20	80
- Virtual number of teeth	30	123
- Addendum, mm	5.000	5.000
- Dedendum, mm	3.875	3.875
- Working depth, mm	10.000	10.000
- Whole depth, mm	10.875	10.875
- Normal tooth thick., mm	7.854	7.854
- Trans. tooth thick., mm	9.069	9.069
- Face width, mm	75	71
- Pitch circle diam., mm	115.470	451.880
- Add. circle diam., mm	125.470	471.880
- Root circle diam., mm	103.720	450.130
- Base circle diam., mm	106.451	425.803
- Profile correction,	-	-
- Nor. & Tr. module, mm	5. 5.774	
- Nor.. Tr. & Ax. C.P.,mm	15.708. 18.130. 31.416	
- Nor. Tr. & Ax. B.P.,mm	14.761. 16.721. 29.521	
- Fillet radius, mm	1.175	
- Clearance, mm	0.875	
- Backlash, mm	1975	
- Contact ratio	3.766	
- Gear ratio	4.000	
- Pressure angle	20°	
- Trans. pressure angle	22° 47'	
- Working pressure angle	20° 00'	
- Helix angle	30°	
- Centre distance, mm	288.675	
- SL. (ASA-B), 20° Full Depth Tooth System		

Table (5) specification and geometry of pinion and wheel for 50 Kw, 2000 rpm power and speed respectively.

2- Kinematics-Loads and Stresses	
- Speed for pinion & wheel, rpm = 2000 . 500	= 12.092
- Pitch line velocity, m/sec	
- Tan. & Rad. loads, N = 4138. 1739	
- Ax. & Hor. loads, N = 2389. 3084	
- Calc. module Acc. to L.E. 3.23 < 5 Safe	
- Tang. load Acc. to L.E. N = 11286	
- Tang. load Acc. to M.L.E. N = 16962	
- Dynamic load Acc. to Buckingham.,N = 16446	
- Limiting load for wear, N = 36601	
- U.T.S. N/mm² (lb/in²) = 1207(173000)	
- All. Tensile strength, N/mm² (lb/in²) = 402(59332)	
- All. surface strength, N/mm² (lb/in²) = 322(46866)	
- Calc. bending stress Acc. L.E., N/mm² = 72	
- Calc. ... Acc. M.L.E., N/mm² = 362	
- Calc. contact stress, N/mm² = 253	
- ** AGMA **	
- Tooth Bending stress, (S.V.) Ib/in² = 9938	
- ... (E.V.) Ib/in² = 3035	
- Tooth-Surface Durability, (S.V.) Ib/in² = 33734	
- ... (E.V.) Ib/in² = 32164	
- ** ISO **	
- Tooth Bending stress, (S.V.) N/mm² = 69	
- ... (E.V.) N/mm² = 28	
- Tooth-Surface Durability, (S.V.) N/mm² = 233	
- ... (E.V.) N/mm² = 149	
- ** British **	
- Tooth Bending stress, Ib/in² = 2019	
- Tooth Surface stress for wear, Ib/in² = 3630	
- Scoring-criterion number = 603	
- Flash Temperature, °F = 105.424	

Table (6) kinematics, loads and stresses of gears for 50 Kw and 2000 rpm power and speed respectively.

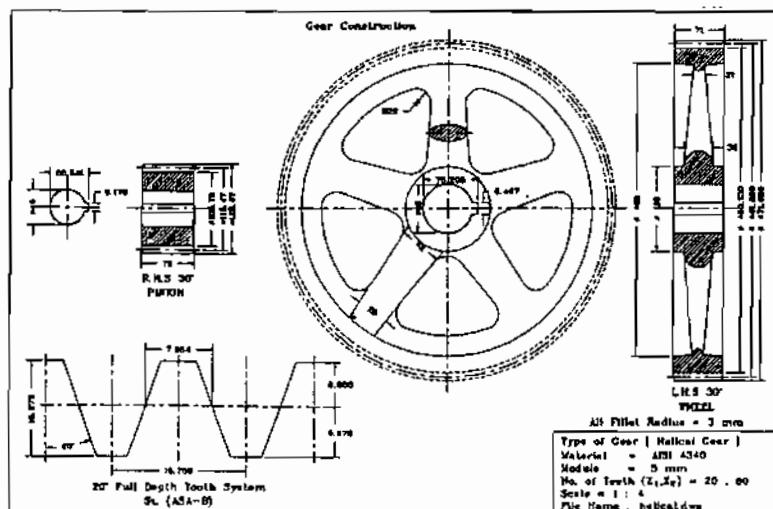


Fig.(6) Construction drawing of pinion and wheel for 50 kw, 2000 rpm power and speed respectively

Input Data		
- Power, Kw	- 100	
- Input speed, rpm	- 3000	
- Number of pinion teeth	- 20	
- Gear ratio	- 4.000	
- Design according to "AGMA"		

Output Data		
1- Specifications and Geometry		
2- Kinematics, Loads and Stresses		
3- Gear Construction		

1- Specifications And Geometry		
Specifications & Geometry	Pinion	Wheel
1- Double Helical Gear >>		
- Material	AISI 4340	AISI 4340
- Number of teeth	20	80
- Virtual number of teeth	36	145
- Addendum, mm	5.000	5.000
- Dedendum, mm	5.875	5.875
- Working depth, mm	10.000	10.000
- Whole depth, mm	10.875	10.875
- Normal tooth thick., mm	7.854	7.854
- Trans. tooth thick., mm	9.588	9.598
- Face width, mm	2X 63	2X 59
- Pitch circle diam., mm	122.077	488.310
- Add. circle diam., mm	122.077	498.310
- Root circle diam., mm	110.327	476.560
- Base circle diam., mm	111.561	445.243
- Profile correction, mm	-	-
- Hor. & Tr. module, mm	5. 6.104	
- Hor. Tr. & Ax. C.P., mm	15.708. 19.176. 27.386	
- Hor. Tr. & Ax. B.P., mm	14.761. 17.524. 25.734	
- Filler radius, mm	1.175	
- Clearance, mm	0.875	
- Backlash, mm	.1975	
- Contact ratio	5.838	
- Gear ratio	4.000	
- Pressure angle	20°	
- Trans. pressure angle	23° 57'	
- Working pressure angle	20° 00'	
- Helix angle	35°	
- Centre distance, mm	305.194	
- St. (AGMA-B1. 20° Full Depth Tooth System		

2- Kinematics-Loads and Stresses		
- Speed for pinion & wheel, rpm = 3000	- 750	
- Pitch line velocity, m/sec	- 19.174	
- Tan., Rad. & Nor. load, N = 3210. 2319. 6779		
- Calc. module Acc. to L.E. 2.91 < 5 Safe		
- Tang. load Acc. to L.E.. N = 13298		
- Tang. load Acc. to M.L.E.. N = 38193		
- Dynamic load Acc. to Buckingham. N = 36897		
- Limiting load for wear, N = 36042		
- U.T.S., N/mm² (lb/in²) = 1207 (175000)		
- All. Tensile strength, N/mm² (lb/in²) = 402 (58332)		
- All. surface strength, N/mm² (lb/in²) = 322 (46656)		
- Calc. bending stress Acc. L.E. N/mm² = 40		
- Calc. ... Acc. M.L.E. N/mm² = 195		
- Calc. contact stress, N/mm² = 202		
- -- AGMA --		
- Tooth Bending stress, (S.V.) Ib/in² = 7520		
- .. (E.V.) Ib/in² = 6636		
- Tooth-Surface Durability, (S.V.) Ib/in² = 28539		
- .. (E.V.) Ib/in² = 27711		
- -- ISO --		
- Tooth Bending stress, (S.V.) N/mm² = 52		
- .. (E.V.) N/mm² = 21		
- Tooth-Surface Durability, (S.V.) N/mm² = 197		
- .. (E.V.) N/mm² = 125		
- -- British --		
- Tooth Bending stress, Ib/in² = 1933		
- Tooth Surface stress for wear, Ib/in² = 3649		
- Scoring-criterion number = 502		
- Flash Temperature, °F = 105.036		

Table (6) kinematics, loads and stresses of gears for 100 Kw and 3000 rpm respectively.

Table (7) specification and geometry of pinion and wheel for 100 Kw, 3000 rpm power and speed respectively.

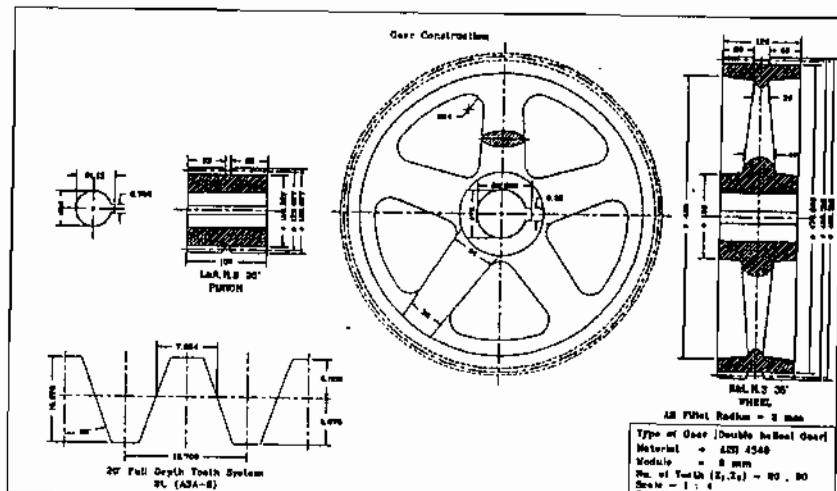


Fig.(7) Construction drawing of pinion and wheel for 100 kw, 3000 rpm power and speed respectively

Input Data	
- Power, Kw	= 25
- Input speed, rpm	= 1500
- Gear ratio	= 4,000
- Actual center distance, mm	= 250
- Design according to "AGMA"	

Output Data	
1- Specifications and Geometry	
2- Kinematics, Loads and Stresses	
3- Gear Construction	

1- Specifications and Geometry		
Specifications & Geometry	Pinion	Wheel
<< Spur Gear >>		
- Material	AISI 4340	AISI 4340
- Number of teeth	18	72
- Addendum, mm	7.580	5.832
- Dedendum, mm	4.295	6.042
- Working depth, mm	11.000	11.000
- Whole depth, mm	11.982	11.982
- Tooth thickness, mm	10.217	8.945
- Face width, mm	88	84
- Pitch circle diam., mm	99.000	396.000
- Add. circle diam., mm	114.159	407.645
- Root circle diam., mm	90.410	383.915
- Base circle diam., mm	93.030	372.118
- Profile correction, mm	+0.3941	+0.0764
- Module, mm		5.5
- Circular pitch, mm		17.279
- Base Circular pitch, mm		16.207
- Fillet radius, mm		1.293
- Clearance, mm		0.963
- Backlash, mm		1.975
- Contact ratio		1.951
- Gear ratio		4.000
- Pressure angle		20°
- Working pressure angle		21° 31'
- Centre distance, mm		247.500
- Actual centre dist., mm		250
- Add. modification, mm		0.0881
- St. (ASA-B), 20° Full Depth Tooth System		

Table (g) specification and geometry of pinion and wheel for 25 Kw, 1500 rpm power and speed respectively.

2- Kinematics-Loads and Stresses	
- Speed for pinion & wheel, rpm = 1500	. 375
- Pitch line velocity, m/sec	= 7.775
- Ten., Rad. & Nor. load, N =	3217. 1171. 3424
- Calc. module Acc. to L.E. 3.80 < 9.5 Safe	
- Tang. load Acc. to M.L.E. N	= 16746
- Tang. load Acc. to M.L.E. N	= 33336
- Dynamic load Acc. to Buckingham, N	= 15206
- Limiting load for wear, N	= 27815
- U.T.S., N/mm ² (lb/in ²)	= 1207(175000)
- All. Tensile strength, N/mm ² (lb/in ²)	= 402(59332)
- All. surface strength, N/mm ² (lb/in ²)	= 322(46665)
- Calc. bending stress Acc. L.E., N/mm ²	= 48
- Calc. .. Acc. M.L.E., N/mm ²	= 173
- Calc. contact stress, N/mm ²	= 314
-- AGMA --	
- Tooth Bending stress, (S.V.) lb/in ²	= 12247
- (E.V.) lb/in ²	= 8164
- Tooth-Surface Durability, (S.V.) lb/in ²	= 34633
- (E.V.) lb/in ²	= 28278
-- ISO --	
- Tooth Bending stress, (S.V.) N/mm ²	= 84
- (E.V.) N/mm ²	= 17
- Tooth-Surface Durability, (S.V.) N/mm ²	= 239
- (E.V.) N/mm ²	= 191
-- British --	
- Tooth Bending stress, Ib/in ²	= 1965
- Tooth Surface stress for wear, Ib/in ²	= 2140
- Scoring-criterion number	= 376
- Flash Temperature, °F	= 105.695

Table (h) kinematics, loads and stresses of gearset for 25 Kw and 1500 rpm power and speed respectively.

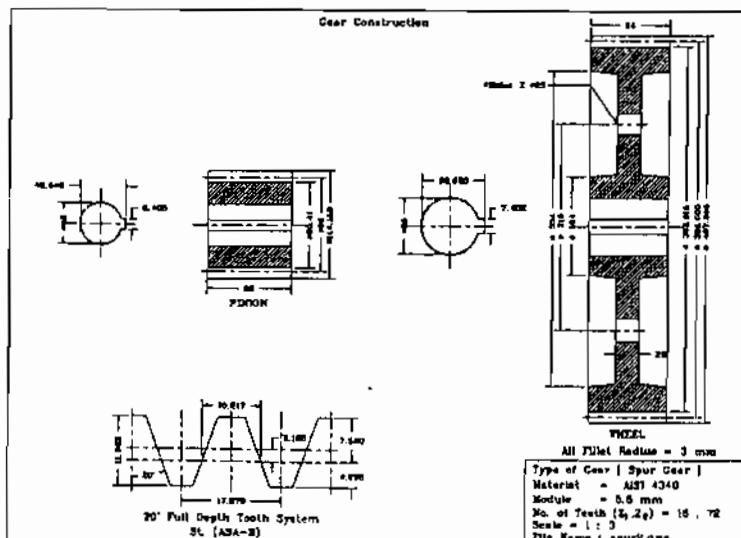


Fig.(8) Construction drawing of pinion and wheel for 25 kw, 1500 rpm power and speed respectively (profile correction)

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استخدام الكمبيوتر الآلي في تصميم المك噫نات الجزء الأول المك噫نات العدالة والصلزونية والمزلزونية المزدوجة

الخلاصة : الغرض من هذا البحث هو إنشاء برنامج جاهز (software) يحتوى على خطوات لتصميم ورسم المك噫نات العدالة والصلزونية والمزلزونية المزدوجة . هذا البرنامج الجاهز يمكن استخدامه وتشغيله على أي حاسوب آلى شخصى . المنابر الرئيسية للتصميم والتكنولوجيا - هذا البرنامج هي : البيانات الدخلية 'شكل ونوع السن' طبقاً للمواصفات (الدولية - الأمريكية - البريطانية - الألمانية) الموديل، أقل عدد من الأستانن لثلاثي التداخل' تصبح بروفيل السن' المسافة بين المحورين ، نسبة التناظرية' عرض المسن' زاوية الولبة المزلزونية ' نوع الخام المستخدم ' معادلات التصميم طبقاً لمقاومة الانحناء للمنة (ليوس وليوس المعدلة وبامكينتهم) معادلات التصميم طبقاً لأنهيار سطح السن' معادلات معة التحمل لمقاومة انحناء وأنهيار سطح السن' للمصنن(النظام الدولى والجمعية الأمريكية لإنتاج المك噫نات والنظام البريطانى مع اعتبار أن العمل ثابت أو متغير) . تم اختيار واستنتاج مجموعة من المعادلات وال العلاقات العملية لإنشاء ورسم المك噫نات (مخلق في العمود ' مصطف ' له جدار كمال معمق ' له جدار به ثقوب ' له أعماب ' بجذارين ' من أجزاء مربوطة مع بعضها) .

ان تشغيل هذا البرنامج الجاهز يعطى النتائج التالية : هندسية ومواصفات المك噫نات (القائد كينيماتيكية المسنن' الأعمال والإجهادات للمسن و المسنن والرسم الكامل للمك噫نات (الثاني والمتقد) وذلك طبقاً للبيانات الدخلية . تم عمل أمثلة مختلفة ومتعددة لبيان مدى قدرة واستجابة هذا البرنامج الجاهز لإتمام عملية التصميم بالكامل والحصول بيانات ورسومات كماله صحيحة . ولقد أظهرت هذه النتائج الدقة الكبيرة في أبعاد ومواصفات المسنن وكذلك الوفر الكبير في الوقت والتكليف